Microwave Attenuation of Fresh Hevea Latex

KAIDA BIN KHALID AND MAHDI BIN ABD. WAHAB

Physics Department, Universiti Pertanian Malaysia, Serdang, Selangor, Malaysia

The relationship between microwave attenuated power and dry rubber content of fresh Hevea latex is derived. This calculation is based on a model of water suspension by Wiener. Calculation shows that the dry rubber content of Hevea latex can be determined from conveniently measured parameters such as microwave attenuation, density of latex and thickness of latex layer. The experimental results on attenuation as a function of dry rubber content agree with data calculated from the theory within experimental uncertainty.

Performance of the d.r.c. meter based on microwave attenuation has been discussed in detail by the author^{1,2}. It has been shown that this technique is simple to operate, cheap, portable and with coefficient of deviation of about 1% compared with the Standard Laboratory Method.

It is important to develop the theoretical aspect of microwave attenuation of fresh *Hevea* latex and relate d.r.c. with easily measured parameters. This calculation is very important especially for the selection of optimum conditions for measurement and design purposes.

The main components of the complex composition of fresh *Hevea* latex are rubber solids³. Introducing the designarubber solids³. Introducing the designation W_1 and W_r for the weight of latex and dry rubber or rubber hydrocarbon, respectively, the definition of d.r.c. in the fractional weight is:

D.r.c. =
$$W_{1}/W_{1}$$
 ... 1

The relationship between total solid content, TSC and d.r.c. is:

D.r.c. =
$$TSC - NRS$$
 ... 2

Microwave aquametry or measurement of the water content in solids and liquids by the microwave technique is a well known method. In this method, the relationship between electromagnetic wave attenuation and material moisture content is determined. Since the fractional weight of the total solid content of the material equals to unity minus fractional weight of moisture content, knowledge of the amount of moisture can be used to determine TSC or d.r.c. of the latex.

This work utilises the model of water suspension derived from Wiener's dielectric mixture theory. Experimental results for milk and clay-sand slurry are in good agreement with results predicted by theory⁴.

In this paper the relationship between d.r.c. and TSC of fresh *Hevea* latex with various parameters such as microwave attenuation, density and thickness of the latex layer is derived. The derivations based on this theory are compared with experimental data and they are found to be in good agreement.

ATTENUATION LATEX

Based on the model of water suspension, Kraszewski⁴ showed that the attenuation coefficient of a plane electromagnetic wave passing through a flat layer of a mixture can be expressed as

$$\alpha_m = V_i \alpha_i + (1 - V_i) \alpha_H \qquad \dots 3$$

where α_i and α_H denote the individual attenuation coefficients due to inclusions and the host medium (water).

 V_i is the volume filling factor of inclusions.

Similarly, we consider the latex to consist of two components of suspension, *i.e.* solid material (rubber + non-rubber solids) and water. From Equation 3,

$$\alpha_1 = V_s \alpha_s + V_w \alpha_w \qquad \dots 4$$

where subscripts 1, s and w denote latex, solid material and water.

The volume fraction V_i can be calculated $\alpha_1 t = [t - (1 - \text{TSC}) \rho_{l/\rho_w} t] \alpha_0 + as:$

$$V_{s} = \rho_{l/\rho_{s}} \text{TSC}$$
$$V_{w} = \rho_{l/\rho_{w}} (1-\text{TSC})$$

where ρ_i , ρ_s and ρ_w are the bulk densities of latex, solid material and water, respectively, and Equation 4 becomes:

$$\alpha_1 = \rho_{l/\rho_s} \text{TSC} \ \alpha_s + \rho_{l/\rho_w} \ (1-\text{TSC}) \alpha_w$$

The above model assumes that the suspension layer of thickness t may be considered as consisting of two separate layers: the layer of host medium (water) of thickness t_1 and that of dry inclusions of thickness t_2 , where $t_1 + t_2 = t$, as shown in Figure 1.



Figure 1. A model of suspension layer of thickness, t.

Hence, Equation 3 may be rewritten as: $\alpha_1 t = (t-t_1) \alpha_s + t_1 \alpha_w \dots 7$

Comparing Equations 6 and 7, the thickness of the water layer t_1 , is given as:

$$t_1 = (1 - \text{TSC}) (\rho_{l/\rho_w}) t$$
 ... 8

Substituting Equation 8 into Equation 7:

1-TSC)
$$\rho_{l/\rho_w} \alpha_w t \qquad \dots 9$$

Denoting $\alpha_1 t$, $\alpha_s t$, $\alpha_w t$, by A_l , A_s and A_w , Equation 9 becomes:

$$A_{i} = A_{s}(1 - \rho_{i/\rho_{w}}) - \text{TSC } \rho_{i/\rho_{w}}(A_{w} - A_{s})$$
$$+ A_{w} \rho_{i/\rho_{w}} \dots 10$$

where A refers to the attenuation in decibels.

From Equation 10:

$$TSC = \left(\frac{A_{w}}{A_{w}-A_{s}}\right) + \frac{A_{s}(1-\rho_{l/\rho_{w}})}{\rho_{l/\rho_{w}}(A_{w}-A_{s})} - \frac{A_{l}}{\rho_{l/\rho_{w}}(A_{w}-A_{s})} - \frac{A_{l}}{\rho_{l/\rho_{w}}(A_{w}-A_{s})}$$

COPYRIGHT © MALAYSIAN RUBBER BOARD

The properties of a dielectric material may be expressed explicitly in terms of relative permittivity $\epsilon = \epsilon' - j \epsilon''$ where ϵ' is the dielectric constant and ϵ'' is the loss factor. When the plane wave is incident normally to the dielectric plate of thickness t the transmission coefficient neglecting the multiple reflections in the dielectric is given by Von Hipple⁵ as

$$A = 8.686 \frac{2\pi t}{\gamma_0} \left[\frac{1}{2}e^{\prime} \left(\sqrt{1 + \tan^2 \delta - 1} \right) \right] \frac{1}{2}$$
12

where $\tan \delta = \epsilon'' / \epsilon'$ is the loss tangent

 λ_0 is the wavelength in vacuum.

The permittivity of water measured at T = 25°C at 10GHz is equal to:

$$\epsilon_w = 55 - j \, 31.9$$

and that for *Hevea*⁶ is
 $\epsilon_r = 2.2 - j \, 0.08$

Applying these quantities to Equation 12, $A_s \ll A_w$ and Equation 11 reduces to

$$TSC = 1 - \frac{A_1}{\gamma_1 A_w} \qquad \dots 13$$

where $\gamma_l = \rho_{l/\rho_w}$ is the relative density

of the latex.

From Equation 2,

D.r.c. =
$$(1 - A_{l}/\gamma_{l}A_{w}) - NRS \dots 14$$

According to Cook and Sekhar⁷ the NRS in latex is about 0.04 depending on the clone, environment and season.

We can show graphically the variation between attenuation A_i and d.r.c. from Equation 13, if we know: the variation of relative density of the latex with d.r.c. and the attenuation of water, A_w for a layer of thickness t at the particular frequency and temperature. The relationship between relative density of the fresh latex and d.r.c. is obtained from the fitted equation based on de Varies⁸ data;

$$\gamma_{l_{27}}^{27} = 1.0202 - 0.1204 X' \dots 15$$

where $\gamma_{i_t}^t$ is the relative density relative

to water at the same temperature as the observed substance

$$t = 29^{\circ}C$$

X' is the weight of the dry rubber in 1 ml of latex at the temperature of observation. The conversion formula between X' and d.r.c. at $27^{\circ}C-29^{\circ}C$ from the findings of Fairfield-Smith⁹ i

D.r.c. =
$$\frac{X'}{1.018 - 0.1231 X'}$$
 ... 16

Equations 15 and 16 may be used to determine the variation of relative density of the fresh latex with d.r.c. Figure 2 shows the variation of weight of dry rubber in 1 ml of latex and the relative density of latex with d.r.c.

The value of A_w can be determined by using Equation 12. The data for dielectric constant for water, $\epsilon = \epsilon' + j \epsilon''$ at a particular frequency and temperature can be obtained from the Cole-cole plot (Figure 3) based on data from Cook¹⁰ and Grant *et al.*¹¹ A_w can also be determined directly from attenuation measurements of distilled water at the same thickness.

EXPERIMENTAL ARRANGEMENT AND RESULTS

A block diagram of the set-up is shown in Figure 4. The sample holder with a total thickness of about 3 mm is made from perspex sheet to minimise the phase shift and attenuation introduced by the holder.



Figure 2. Variation of weight of dry rubber per millilitre and dry rubber content of fresh Hevea latex at 27°C-29°C. (after de Varies⁷ and Fairfield Smith⁸).

The microwave source is a Gunn oscillator (HP 8620) operating at 10,17 Ghz with a power level of the order of 10 mW. Two-horn antennas are aligned facing each other, separated by a distance of 79 mm. The microwave signal is modulated in amplitude with frequency of 1 kHz. The output of the point contact detector (HP 432 A) is connected to the lock-in amplifier (ORTEC-5205) which provides a d.c. output proportional to the a.c. signal under investigation. The lock-in amplifier responds to the signal of interest and suppresses the effect of noise or other interfering components. Since the detector is operated in the 'square law region' the output voltage is proportional to the input power.

Investigations were carried out for d.r.c. of the latex from 0% to 50% and at four different thicknesses, over a range of room temperatures between 27°C and 29°C. The true d.r.c. of *Hevea* latex for each sample was obtained by using the



Figure 3. Cole-cole representation $\epsilon'(\epsilon'')$ of data for water at different temperature (°C) and frequencies (GHz) after: Cook (1952) and Grant et al. (1957).

Kaida bin Khalid and Mahdi bin Abd. Wahab: Microwave Attenuation of Fresh Hevea Latex

Standard Laboratory Method (MS:3:35: 1975)¹². The accuracy of this method is within $\pm 0.2\%$. Results of the attenuation measurements for various thicknesses of the latex sample at the average temperature of 29°C are shown in *Figure 5*. The uncertainty of the measurement is about ± 0.5 dB. The experimental results on attenuation as a function of d.r.c. agree

with the data calculated from Equation 14, within experimental uncertainty. In spite of this uncertainty, the capability of the instrument is fair. The standard deviation of the difference between d.r.c. measured by the Standard Laboratory Method and that measured by the microwave method is 0.7%, which is quite satisfactory for practical use^{1,2}.



Figure 4. Basic experimental arrangement for attenuation measurement.



Figure 5. Attenuation versus dry rubber content of fresh Hevea latex at four different thicknesses. Solid lines represent calculated values from Equation 14.

Journal of the Rubber Research Institute of Malaysia, Volume 31, Part 3, 1983

CONCLUSION

Experimental measurements confirm that the model of water suspension may be used for the calculation of d.r.c. of fresh *Hevea* latex. Despite the complexity of the physical structure of the material, there exists a simple linear relationship between d.r.c. and attenuation of microwave signal.

ACKNOWLEDGEMENT

The authors wish to thank Dr Mohd Yusof bin Sulaiman for useful comments and the technical staff for their help in determining d.r.c. by the Standard Laboratory Method.

Universiti Pertanian Malaysia Serdang, Selangor May 1982

REFERENCES

- KAIDA, K. (1982) Determination of Dry Rubber Content of *Hevea* Latex by Microwave Technique. *Pertanika*, 5(2), 192.
- MAHDI, A.W. (1982) Microwave Attenuation and Phase Shift of the Hevea Latex and their Application for DRC Measurement. B.Sc. Project Rep. Physics Department, Universiti Pertanian Malaysia.

- CHIN, H.C. (1979) Method of Measuring the Dry Rubber Content of Field Latex. *RRIM Training* Manual on Analytical Chemistry. Latex and Rubber Analysis, p. 63. Kuala Lumpur: Rubber Research Institute of Malaysia.
- KRASZEWSKI, A. (1974) Determination of the Strength of Water Suspensions Using a Microwave Bridge Technique. J. Microwave Power, 9(4), 295.
- 5. VON HIPPLE, A.R. (1959) Dielectric and Waves, p. 28. New York: John Wiley.
- VON HIPPLE, A.R. (1954) Dielectric Materials and Applications, pp. 351-361. U.S.A.: M.I.T. Press.
- COOK, A.S. AND SEKHAR, B.C. (1953) Fraction Brown Hevea brasiliensis Latex Centrifuged at 59,000 g. J. Rubb. Res. Inst. Malaya, 14, 63.
- 8. VARIES, O.D. (1919) Arch. Rubb. Cult., 3, 183.
- FAIRFIELD SMITH, H. (1940) Specific Gravity of Latex and of Rubber. J. Rubb. Res. Inst. Malaya, 9, 218.
- 10. COOK, H.F. (1952) Br. J. appl. Physics, 3, 249.
- GRANT, E.H., BUCHANAN, T.J. AND COOK, H.F. (1957) Dielectric Behaviour of Water at Microwave Frequencies. J. Chem. Physics, 151.
- 12. STANDARDS AND INDUSTRIAL RESEARCH INSTITUTE OF MALAYSIA (1975) Method of Sampling and Testing Concentrated Natural Rubber Latices. MS:3:35:1975.